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# Outline

- Motivation
- Methodology
- Results
- Conclusions
- Acknowledgement
- References



# Motivation

- In-flight icing on airframes and engines may cause great risk to flight safety due to aerodynamic performance degradation and engine performance losses.
- It is very important to simulate ice accretion to develop ice protection systems and to comply with Airworthiness Requirements (FAR/CS-25, App. C and very recently, App. O and P).
- A computational tool is developed for icing analyses in FORTRAN language within the scope of SANTEZ 0046.STZ.2013-1 Project.
- >With this tool, **collection efficiencies** and **ice shape predictions** for a nacelle geometry are obtained in the present study. The results are compared with experimental and numerical data presented by Bidwell and Mohler [1], Iuliano et al [2].



## **Ice Accretion Modeling Modules**

- 1. Flow field solution
- 2. Droplet trajectories and collection efficiency calculations

- 3. Thermodynamic analyses
- 4. Ice accretion calculation



1. Flow field solution

Hess-Smith Panel method

The velocity and pressure distribution on the surface for boundary layer calculations

5/25

> Off-body velocities for droplet trajectory calculations



### 1. Flow field solution



Figure 1: Intake geometry

- Outer and the inner cowls are defined by a super ellipse and an ellipse, respectively [2].
- Length of the inlet: 0.2234 m
- Height of the inlet: 0.1905 m

# Methodology 1. Flow field solution

Complicated to maintain both:

- the required flight conditions (freestream velocity)
- the desired mass flow rate through the intake



Figure 2: Visual representation of two flow situations used in the superposition method [5]

Flow situation 1:<br/> $U_{\infty} = 1 \text{ m/s}, \alpha = 0^{\circ}$ N+1 unknownsFlow situation 2:<br/> $U_{\infty} = 0 \text{ m/s}, \Gamma = 1$ <br/>( $\Gamma$ :vortex strength along the surface panels)

The final flow is obtained by scaling and combining these two solutions.

$$\begin{aligned} c_1 U_{\infty 1} + c_2 U_{\infty 2} &= U_{\infty} ,\\ c_1 \overline{U}_{cp1} + c_2 \overline{U}_{cp2} &= \overline{U}_{cp} . \end{aligned}$$

$$c_1 = U_{\infty} \text{ and } c_2 = (\overline{U}_{cp} - U_{\infty}\overline{U}_{cp1})/\overline{U}_{cp2}.$$

The velocity components are corrected for compressibility effects using the Prandtl-Glauert compressibility correction:

$$\hat{u}=\bar{u}/\sqrt{1-M^2}\,,\qquad \hat{v}=v/\sqrt{1-M^2},$$

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# Methodology 1. Flow field solution

$V_{\infty}$ (m/s)	$\alpha$ (degree)
75	0



Figure 3: Mach number distributions on the intake.



Lagrangian approach

### 2. Calculation of droplet trajectories



### Collection efficiency $(\beta)$



Figure 4: Definition of collection efficiency

### 2. Calculation of droplet trajectories

## Collection efficiency results 1



 $\dot{m} ({}^{kg}/_s)$ 

10.42

Figure 5: Collection efficiency distribution on the nacelle

 $\alpha$  (degree)

0

### 2. Calculation of droplet trajectories

## Collection efficiency results 2



 $\dot{m} ({}^{kg}/_s)$ 

7.8

Figure 6: Collection efficiency distribution on the nacelle

 $\alpha$  (degree)

0



### 3. Thermodynamic analyses



Transition from laminar to turbulent flow occurs when the Reynolds number based on roughness height exceeds  $Re_k=600$ 

where  $Re_k = \rho U_k k_s / \mu$ 



3. Thermodynamic analyses



13/25

 $\alpha$  (degree)

0

 $V_{\infty}$  (m/s)

75

Figure 7: The heat transfer coefficient distribution on the nacelle

# -

# Methodology

## 4. Ice accretion calculation

Extended Messinger Model [3]

Stefan problem

Energy equation for ice layer:

Energy equation for water layer:

Mass balance:

Phase change condition:

$$\begin{split} \frac{\partial T}{\partial t} &= \frac{k_i}{\rho_i C_{pi}} \frac{\partial^2 T}{\partial y^2} ,\\ \frac{\partial \theta}{\partial t} &= \frac{k_w}{\rho_w C_{pw}} \frac{\partial^2 \theta}{\partial y^2} ,\\ \rho_i \frac{\partial B}{\partial t} + \rho_w \frac{\partial h}{\partial t} &= \rho_a \beta V_\infty + \dot{m}_{in} - \dot{m}_{e,s} ,\\ \rho_i L_F \frac{\partial B}{\partial t} &= k_i \frac{\partial T}{\partial y} - k_w \frac{\partial \theta}{\partial y} , \end{split}$$

- 7



# Methodology 4. Ice accretion calculation

Boundary and initial conditions for Stefan problem:

- 1.  $T(0,t)=T_s=T_a$
- 2.  $T(B,t)=\theta(B,t)=T_f$
- 3. B=h=0 at t=0



water

4. At the air/water (glaze ice) or air/ice (rime ice) interface, heat flux is determined by convection ( $Q_c$ ), radiation( $Q_r$ ), latent heat release( $Q_l$ ), cooling by incoming droplets ( $Q_d$ ), heat brought in by runback water ( $Q_{in}$ ), evaporation ( $Q_e$ ) or sublimation ( $Q_s$ ), aerodynamic heating ( $Q_a$ ) and kinetic energy of incoming droplets ( $Q_k$ ).

y



- 4. Ice accretion calculation
- Rime ice growth :
   (Algebraic equation)

$$B(t) = \frac{\rho_a \beta V_{\infty}}{\rho_r} t$$

0.1

- Glaze ice growth:  $\rho_g L_F \frac{\partial B}{\partial t} = \frac{k_i (T_f T_s)}{B} + k_W \frac{(Q_c + Q_e + Q_d + Q_r) (Q_a + Q_k)}{k_W}$ (1<sup>st</sup> order ODE)
- The equations are integrated over time using a variable stepsize Runge-Kutta integrator.

# Results

### Ice shape predictions

Case #	ṁ (kg/s)	d <sub>p</sub> (microns)	$ ho_a \left(g/m^3\right)$	Т <sub>а</sub> (°С)	Condition
1	10.42	16.45	0.2	-29.9	Rime
2	10.42	20.36	0.2	-29.9	Rime
3	7.8	16.45	0.2	-29.9	Rime
4	7.8	20.36	0.2	-29.9	Rime
5	10.42	16.45	0.695	-9.3	Glaze
6	10.42	20.36	0.695	-9.3	Glaze
7	7.8	16.45	0.695	-9.3	Glaze
8	7.8	20.36	0.695	-9.3	Glaze

Table 1: *Icing conditions (V*<sub> $\infty$ </sub>=75 m/s,  $\alpha$ =0°, t<sub>exp</sub>=30 min)

-29.9

 $ho_a \left(g/m^3
ight)$ 

0.2

*ṁ* (*kg/s*)

10.42



# Results

### Rime ice condition 1



Figure 9: *Ice shapes on the air intake* 

-29.9



# Results

### Rime ice condition 2



*ṁ* (*kg/s*)

7.8

 $\rho_a\,(g/m^3)$ 

0.2

### Figure 10: *Ice shapes on the air intake*

-9.3



# Results

### Glaze ice condition 1



*ṁ* (*kg/s*)

10.42

 $ho_a \left(g/m^3
ight)$ 

0.695

Figure 11: Ice shapes on the air intake

-9.3



# Results

### Glaze ice condition 2



*ṁ* (*kg/s*)

7.8

 $ho_a \left(g/m^3
ight)$ 

0.695

Figure 12: Ice shapes on the air intake



# Conclusions

 Collection efficiency and ice shape results are presented for a benchmark intake geometry in symmetrical flow conditions.

- It is concluded that larger droplets results in wider impingement zones and higher collection efficiencies.
- In other words, larger droplets lead to larger and thicker ice formations.
- It is also verified that the proposed method for maintaining the mass flow rate through the inlet is valid.



# Acknowledgement

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# References

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